Unit 1 Day 8

Congruence

Borrow a ruler & protractor if you forgot yours!

<u>Warm Up</u>



1.Create two figures congruent to the one given using **two different** transformations and describe them.

2. Solve for x.
$$\frac{x}{x+3} = \frac{x+4}{x-1}$$

X = -1.5

3. If $\triangle CAT \sim \triangle DOG$, find x and y.

$$m \angle C = 3x - 14,$$

$$m \angle D = 2x + 2y,$$

$$m \angle T = 3y - 2x, \quad (-1, 12),$$

$$m \angle G = 9 - 3x$$

Be prepared to share with the class! ©



Are the triangles similar? If so, write a similarity statement. If not, explain why.



Solve for the length of the missing segment in the similar triangles



Solve each extended proportion for x and y with x > 0 and y > 0. $\begin{array}{rcl}
19) & \frac{x}{5} = \frac{9}{y} = \frac{y}{25} & x = 3 \\ y = 15 & y = 24\end{array}$

21) The two parallelograms below are similar. ^E Find x, y, and the measure of each angle. Angle B = 10 Angle F = 4x + 2y $\times = 6$ Angle C = 10x - 10y Y = -7Angle G = 130 $m \angle B = m \angle F = 10^{\circ}$ A $m \angle D = m \angle H = 10^{\circ}$ $m \angle C = m \angle G = 130^{\circ}$ $m \angle A = m \angle E = 130^{\circ}$





22) Quadrilateral "MORE" is similar to Quadrilateral "SALT". Match the descriptions below with a value given in the list on the right by typing its letter in the box provided.

The length of segment TLDa. TSER corresponds to this segmentBb. TLMO corresponds to this segmentEc. 6 cmEM corresponds to this segmentAd. 7.5 cmThe length of segment MOCe. SARO corresponds to this segmentFf. LA



Pg. 13-14 odds 1. 5/3 3. 1/3 5. 1/2x 7. 22x/359. r/24 11. (x-3)/(3x-2)13. 5/12 15. 5/13 17.12/5 19. 12/5 21.14/15 23. x = -325. x = 227. x = 11

Pg. 13-14 evens

2.2:3 4. 2/3 6. 6/7 8.1:16 10. x + 1 to 2 12.9 to 1 14. 13 to 5 16. 13 to 12 18.12 to 13 20. x = 1022. x = 2024. x = -1/326. x = 5/2

We have already checked the evens!

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Congruence Notes



<u>Congruent Polygons</u> have congruent corresponding ("matching") parts – their matching sides and angles.



Naming Congruent Figures

- a) Points can be named in any <u>consecutive</u> order.
- b) Each corresponding vertex must be in the same order for each figure.

Ex. Figure BCAX is congruent to **QRPY**.

Example: $\triangle ABC \cong \triangle PQR$. List the congruent corresponding parts.

> (List the corresponding vertices in the same order. List the corresponding sides in the same order.)



Be careful! The pictures don't always line up corresponding parts! The congruence statement MUST have them in order! 🙂

You Try!

 \triangle LMC \cong \triangle BJK Complete the congruence statements. (Name all congruent angles. Name all congruent sides.)

- 3. $LC \cong BK$ 4. $\overline{KJ} \cong \overline{CM}$
- $\frac{1}{10} = \frac{1}{10}$
- 5. $JB \cong ML$
- 6. $\angle L \cong \angle B$
- 7. $\angle K \cong \angle C$
- 8. $\angle M \cong \angle J$
- 9. $\Delta CML \cong \Delta KJB$ 10. $\Delta KBJ \cong \Delta CLM$



(Text p. 182)

Can you conclude that $\triangle ABC \cong \triangle CDE$ in the figure below?



List corresponding vertices in the same order.

If $\triangle ABC \cong \triangle CDE$, then $\angle BAC \cong \angle DCE$.

The diagram above shows $\angle BAC \cong \angle DEC$, not $\angle DCE$.

Corresponding angles are not necessarily congruent, therefore you *cannot* conclude that $\triangle ABC \cong \triangle CDE$.

Side – Side – Side Postulate (or SSS Postulate)

If <u>3 sides</u> of one triangle are congruent to <u>3 sides</u> of another triangle, then the 2 triangles are congruent.



then $\triangle ABC \cong \triangle DEF$

Side – Angle – Side Postulate (or SAS Postulate)

If <u>2 sides</u> and the <u>included angle</u> of one triangle are congruent to <u>2 sides</u> and the <u>included angle</u> of another triangle, then the 2 triangles are congruent.



Angle – Side - Angle Postulate (or ASA Postulate)

If <u>2 angles</u> and the <u>included side</u> of one triangle are congruent to <u>2 angles</u> and the <u>included side</u> of another triangle, then the 2 triangles are congruent.



Angle – Angle - Side Theorem (or AAS Theorem)

If <u>2 angles</u> and a non-included side of one triangle are congruent to <u>2 angles</u> and a <u>corresponding</u> non-included side of another triangle, then the 2 triangles are <u>congruent</u>.



Hypotenuse - Leg Theorem: (or HL Theorem)

If the hypotenuse and 1 leg of one right triangle are congruent to the hypotenuse and 1 leg of another right triangle, then the triangles are congruent.



then $\triangle ABC \cong \triangle XYZ$

HM2 Unit 1: Triangle Congruence Day 8

 <u>https://play.kahoot.it/#/?quizId=250115bb-</u> <u>9355-4e7b-aca4-3ed60fdeddfd</u>





Practice: Washington Puzzle



Exit Ticket

- 1) Draw a pair of congruent triangles and place markings on the triangles in such a way that would allow you to establish that the triangles were congruent by SSS.
- 2) Draw a pair of congruent triangles and place markings on the triangles in such a way that would allow you to establish that the triangles were congruent by SAS.
- 3) Draw a pair of congruent triangles and place markings on the triangles in such a way that would allow you to establish that the triangles were congruent by ASA.
- 4) Draw a pair of congruent triangles and place markings on the triangles in such a way that would NOT allow you to establish that the triangles were congruent.

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